Торіс		Ref	Ex	
Differentiation	<ul> <li>Trigonometric functions 1 (sin x and cos x)</li> <li>Differentiate sin x and cos x from first principles</li> <li>Differentiate sin kx and cos kx.</li> </ul>	P7.1	9A	
	<ul> <li>Exponentials and Logarithms</li> <li>Differentiate exponentials and logarithms including e<sup>kx</sup>, a<sup>kx</sup>, ln x and ln kx.</li> </ul>	P7.2	9B	
	<ul> <li>Chain Rule</li> <li>Differentiate composite functions and functions of functions using the chain rule.</li> </ul>	P7.4	9C	
	<ul> <li>Product Rule</li> <li>Differentiate the product of two functions using the product rule.</li> </ul>	P7.4	9D	
	<ul> <li>Quotient Rule</li> <li>Differentiate the quotient of two functions using the product rule.</li> </ul>	P7.4	9E	
	<ul> <li>Trigonometric functions 2</li> <li>Differentiate tan kx, cosec kx, sec kx and cot kx</li> <li>Use the chain rule to differentiate composite trigonometric functions.</li> </ul>	P7.4	9F	
	<ul> <li>Parametric Differentiation</li> <li>Differentiate functions defined parametrically without converting to Cartesian form.</li> <li>Use this to find equations of tangents and normals.</li> </ul>	P7.5	9G	
	<ul> <li>Implicit Differentiation</li> <li>Differentiate functions defined implicitly.</li> <li>Use this to find equations of tangents and normal.</li> </ul>	P7.5	9H	
	<ul> <li>Second Derivatives</li> <li>Use the second derivative to determine whether a curve is convex or concave on a given domain.</li> <li>Use it to determine the nature of a stationary point.</li> </ul>	P7.1	91	
	<ul> <li>Rates of Change</li> <li>Use the chain rule to connect rates of change in situations involving more than one variable.</li> </ul>	P7.4	9J	
Term 1 Assessment				

Торіс		Ref	Ex	
Integration	<ul> <li>Standard Functions</li> <li>Integrate e<sup>kx</sup>, 1/x, sin kx, cos kx and other trigonometric functions</li> </ul>	P8.2	11A	
	<ul> <li>f(ax+b)</li> <li>Integrate a function of the form f(ax+b) by using the reverse chain rule for differentiation.</li> </ul>	P8.2	11B	
	<ul> <li>Using Trigonometric Identities</li> <li>Use trigonometric identities to make the integrant into something that can be integrated.</li> </ul>	P8.2	11C	
	Integration "by sight" • Integrate by sight functions of the form: $k \frac{f'(x)}{f(x)} \text{ or } kf'(x)(f(x))^n$	P8.5	11D	
	<ul> <li>Integration by Substitution</li> <li>Use a substitution to simplify an integral</li> <li>Includes definite integrals.</li> </ul>	P8.5	11E	
	<ul> <li>Integration by Parts</li> <li>Use integration by parts to integrate a product of functions</li> <li>Use this technique to integrate ln x,</li> <li>Use more than one application of this method e.g. for integrating e<sup>x</sup> sin x.</li> </ul>	P8.5	11F	
	<ul> <li>Partial Fractions</li> <li>Integrate algebraic fractions using partial fractions</li> </ul>	P8.6	11G	
	<ul> <li>Finding Areas under or between curves</li> <li>Use any of the integration techniques to find areas under or between curves.</li> </ul>	P8.3	11H	
	<ul> <li>Trapezium Rule</li> <li>Use the trapezium rule to approximate the area under a curve whose function you cannot integrate algebraically.</li> <li>Determine whether this gives an under or over estimate.</li> </ul>	P9.4	111	
	Differential Equations	P8.7	11J 11K	
	<ul> <li>Solve first order differential equations by separating the variables.</li> <li>Interpret the solution of a DE in the context of solving a problem.</li> </ul>	r 0.0		
Term 2 Assessment				

Торіс		Ref	Ex	
Vectors in 3D	<ul> <li>Vectors in 3 dimensions</li> <li>Use vectors in 3D both in column vector form and i, j, k unit vector form.</li> <li>Find the angle between a 3D vector and any of the coordinate axes</li> </ul>	P10.1	12A 12B	
	<ul> <li>Geometric Problems</li> <li>Solve geometric problems involving vectors in 3D</li> </ul>	P10.5	12C	
	<ul> <li>Mechanics Problems</li> <li>Model problems in mechanics using 3D vectors</li> </ul>	P10.5	12D	
Moments	<ul> <li>Definition</li> <li>Understand the definition of a moment</li> <li>Calculate the turning effort of a force applied to a rigid body – the moment.</li> </ul>	A9.1	A4A	
	<ul> <li>Resultant Moments</li> <li>Find the resultant moment for several coplanar forces acting on a rigid body.</li> </ul>	A9.1	A4B	
	<ul><li>Equilibrium</li><li>Solve problems involving uniform rods in equilibrium</li></ul>	A9.1	A4C	
	<ul> <li>Centres of Mass</li> <li>Solve problems involving non-uniform rods in equilibrium by finding its centre of mass.</li> </ul>	A9.1	A4D	
	<ul> <li><b>Tilting</b></li> <li>Solve problems involving uniform rods on the point of tilting.</li> </ul>	A9.1	A4E	
Forces and Friction	<ul> <li>Resolving Forces</li> <li>Resolve forces into components</li> <li>Use the triangle law to find a resultant force.</li> </ul>	A8.2 A8.4 A8.5	A5A	
	<ul> <li>Inclined Planes</li> <li>Resolve forces into components parallel to and at right angles to the inclined plane</li> </ul>	A8.4 A8.5	A5B	
	<ul> <li>Friction</li> <li>Understand Friction and the coefficient of friction</li> <li>Use F ≤ μR model for friction</li> </ul>	A8.6	A5C	
Projectiles	<ul> <li>Horizontal Projection</li> <li>Model motion under gravity for an object projected horizontally</li> </ul>	A7.5	A6A	
	<ul> <li>Projection at any angle</li> <li>Resolve velocity into horizontal and vertical components.</li> <li>Solve problems involving particles projected at an angle</li> </ul>	A7.3 A7.5	A6B A6C	
	<ul> <li>Projectile motion formulae</li> <li>Derive the formulae for time of flight, range and greatest height, and the equation of the path of a projectile.</li> </ul>	A7.5	A6D	
Term 3 Assessment				

Topic		Ref	Ex	
Applications of Forces	<ul> <li>Static Particles</li> <li>Use force diagrams to model objects in static equilibrium.</li> <li>Find an unknown force when a system is in equilibrium</li> <li>Solve statics problems involving weights, tension and pulleys.</li> <li>Understand and solve problems involving limiting equilibrium and friction.</li> </ul>	A8.4 A8.6	A7A A7B A7C	
	<ul> <li>Static Rigid Bodies</li> <li>Solve static problems including rotational forces acting on an object.</li> </ul>	A8.6	A7D	
	<ul> <li><b>Dynamics and Inclined Planes</b></li> <li>Solve problems involving motion on smooth or rough inclined planes.</li> </ul>	A8.6	A7E	
	<ul> <li>Connected Particles</li> <li>Solve problems involving connected particles that require the resolution of forces.</li> </ul>	A8.5 A8.6	A7F	
Further Kinematics	<ul> <li>Vectors in Kinematics</li> <li>Use two dimensional vectors to describe motion in a plane.</li> <li>Work with vectors for displacement, velocity and acceleration when using the vector equations of motion.</li> <li>Use vector equations of motion for projectiles in a vertical plane</li> </ul>	A7.3	A8A A8B	
	<ul> <li>Variable Acceleration</li> <li>Understand how to model variable acceleration as a function of time.</li> <li>Use calculus for harder functions of time, including trigonometric or exponential functions.</li> <li>Differentiate and integrate vectors with respect to time.</li> <li>Use calculus with vectors to solve problems involving motion in two dimensions with variable acceleration.</li> </ul>	A7.4	A8C A8D A8E	
Term 4 Assessment				